

Qn. No.	Scoring Indicators	Split Score	Sub Total	Total	
<u>Part A</u>					
I					
1.	Theodolite, 20"	1+1	2		
2.	vertical circle, Telescope, levelling head, Level tubes, clamp & tangent screws.	4 x 1/2	2		
3.	open traverse - Traverse that does not return to the starting point. closed traverse - Traverse that returns to the starting point.	1+1	2	5 x 2 = 10	
	Tacheometry - method of surveying in which horizontal & vertical distances are calculating trigonometrically using the observed staff readings.	2	2		
5.	i) To avoid an abrupt change in direction. ii) To make the vehicle move safely, smoothly & comfortably.	1+1	2		
<u>Part B</u>					
II					
1.	<u>Repetition method</u> i) It is preferred for the measurement of single angle when high accuracy is required. ii) more time consuming iii) chances of personal errors iv) errors of graduations are minimised.	<u>Reiteration method.</u> i) Preferred in triangulation, where a no. of angles may be required at one point. ii) comparatively less tedious method. iii) Graduation errors can be eliminated by reading values of each angle on different parts.	Any 2 2 x 3	6	

2. Traverse balancing - The operation of applying corrections to latitudes & departures of a closed traverse, so that  $\Sigma L = 0$  &  $\Sigma D = 0$ .

i) Bowditch's method -  $C_L = \Sigma L \times \frac{l}{\Sigma L}$  &  $C_D = \Sigma D \times \frac{l}{\Sigma L}$

$C_L$  - corr. to latitude of any side

$C_D$  - corr. to departure of any side

$\Sigma L$  - Total error in latitude

$\Sigma D$  - Total error in departure

$\Sigma l$  - Length of the perimeter.

$l$  - Length of any side

ii) Transit method -  $C_L = \Sigma L \times \frac{L}{L_T}$  &  $C_D = \Sigma D \times \frac{D}{D_T}$

$L_T$  - Arithmetic sum of latitudes

$D_T$  - Arithmetic sum of departures.

3. Length of closing error =  $\sqrt{\Sigma L^2 + \Sigma D^2}$   
 $= \sqrt{(1.39)^2 + (-2.17)^2} = \underline{\underline{2.58 \text{ m.}}}$

R.B of closing error,  $\theta = \tan^{-1}\left(\frac{\Sigma D}{\Sigma L}\right)$   
 $= \tan^{-1}\left(\frac{2.17}{1.39}\right)$   
 $= 57^\circ 21' 29.83''$   
 $= \underline{\underline{N 57^\circ 21' 29.83'' W}}$

4.  $D = kS + C$   
 $D_1 = kS_1 + C$   
 $\Rightarrow 100 = k(0.99) + C$  — (1)  
 $D_2 = kS_2 + C$   
 $\Rightarrow 300 = k(3) + C$  — (2)

Solving (1) & (2)

$k = 99.5$

$C = 1.5$

constants of instruments are 99.5 & 1.5

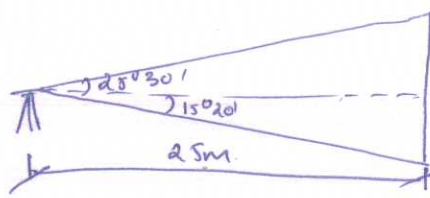
(2)

(6)

(6)

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5.  $h_1 = d \tan \alpha_1$   
 $= 25 \times \tan(15^\circ 20')$   
 $= 6.85 \text{ m.}$



$h_2 = d \tan \alpha_2$   
 $= 25 \tan(25^\circ 30')$   
 $= 11.924 \text{ m.}$

$h = h_1 + h_2 = 18.77 \text{ m.}$

6

6. Remote sensing — science & art of acquiring information about a material object by making measurements at a distance from, without coming into a physical contact with the help of electromagnetic energy.

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Applications

Detection of geology & mineral resources,  
 Detection of water pollution, detection & mapping  
 of water resources, monitoring environmental  
 hazards.

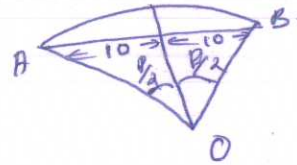
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Any 4

4x1=4

7. Let, AB be the length of the chord = 30m

D — Angle subtended by the chord at the centre O.



Then,

$\sin \frac{D}{2} = \frac{10}{R}$

$R = \frac{10}{\sin \frac{D}{2}}$

For small values of  $\frac{D}{2}$ ,  $\sin \frac{D}{2} \approx \frac{D}{2}$

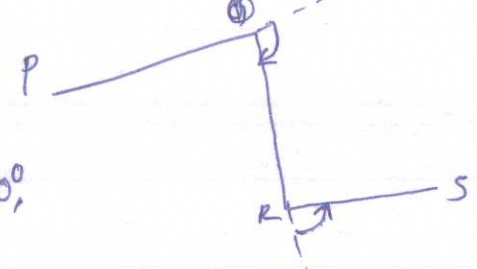
$\therefore R = \frac{10}{\frac{D}{2} \times \frac{\pi}{180}}$

$R = \frac{1146}{D}$

Any 5

5x6 = 30

III a) 1) set instrument at Q & level it.



2) With both plates clamped at  $0^\circ$ , take back sight on P.

3) Plunge the telescope. Thus the line of sight is in the direction PQ produced when the reading on vernier A is  $0^\circ$ .

4) Unclamp the upper clamp & turn the telescope clockwise to take the foresight on R. Read both the verniers. 7

5) Unclamp the lower clamp & turn the telescope to sight P again. The verniers still read the same reading. Plunge the telescope.

6) Unclamp the upper clamp & turn the telescope to sight R. Read both the verniers. Since the deflection angle is doubled by taking both face readings, one-half of the final reading gives the deflection angle at Q.

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b i) Vertical circle - circular graduated arc attached to the trunnion axis of the telescope of theodolite. 2

ii) Index frame - T-shaped frame consisting of a vertical leg known as clipping arm & a horizontal bar known as vernier arm. 2 8

iii) ~~spinning~~ Face change - operation of bringing the face of the telescope of theodolite from left to right & vice versa. 2

iv) Horizontal axis - Axis about which the telescope & the vertical circle rotate in vertical plane. 2

IV a) Temporary adjustments

i) setting over the station - centring & approximate levelling.

ii) Levelling up

iii) Elimination of parallax  $\left\{ \begin{array}{l} \rightarrow \text{Focusing the eye piece} \\ \rightarrow \text{Focusing the objective} \end{array} \right.$

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[With explanation]

## IV b. Fundamental lines of theodolite

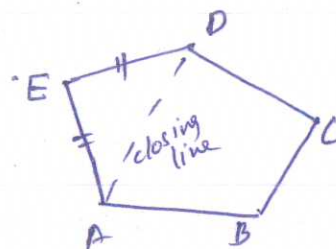
The vertical axis, The horizontal axis, The line of collimation, Axis of plate level, Axis of altitude level, Axis of striding level.

### Desired relations

- 1) The axis of the plate level must lie in a plane perpendicular to the vertical axis.
- 2) The line of collimation must be perpendicular to the horizontal axis at its intersection with the vertical axis.
- 3) The horizontal axis must be perpendicular to the vertical axis.
- 4) The axis of the altitude level must be parallel to the line of collimation.
- 5) The vertical circle vernier must read zero when the line of collimation is horizontal.
- 6) The axis of the striding level must be parallel to the horizontal axis.

V a The affected sides are adjacent.

Line	Latitude	Departure
AB	-73.91	+494.5
BC	+535.11	+313.11
CD	+223.45	-411.29



$$\sum L' = +684.55 \quad \sum D' = +396.32$$

$$\therefore \text{Lat. of DA} = -684.55 \quad \& \quad \text{Dep. of DA} = -396.32$$

$$\text{Length of DA} = \sqrt{(684.55)^2 + (396.32)^2} = \underline{\underline{791.01 \text{ m}}}$$

$$\text{RB of DA, } \theta = \tan^{-1}\left(\frac{396.32}{684.55}\right) = 30^{\circ} 4'$$

8

Consider  $\triangle DEA$  & apply sine rule,  $= S 30^{\circ} 4' W$

$$\text{Then, } DE = 695.27 \text{ m}$$

$$EA = 273.99 \text{ m}$$

Traverse computations are usually done in a tabular form, a more common form being Coles traverse table

Procedure

1) Adjust the interior angles to satisfy the geometrical conditions, i.e. Sum of interior angles to be equal to  $(2N-4)90^\circ$  & exterior angles  $(2N+4)90^\circ$ .

2) Starting with observed bearings of one line, calculate the bearings of all other lines. Reduce all bearings to quadrantal system.

3) calculate the consecutive co-ordinates

4) calculate  $\Sigma L$  &  $\Sigma D$ .

5) Apply necessary corrections to the latitudes & departures of the lines so that  $\Sigma L=0$  &  $\Sigma D=0$ .

The corrections may be

6) Using the corrected consecutive co-ordinates, calculate the independent co-ordinates to the points so that they are all positive, the whole of the traverse thus lying in the NE quadrant.

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Via

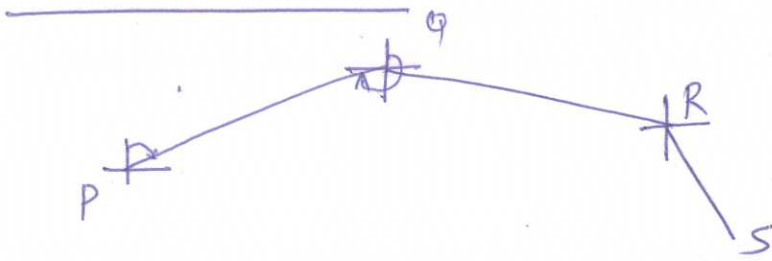
OR

0	0	634.8	1068.4	0
0	-893.8	-728.8	699.3	0

$$\begin{aligned}
 \text{Area} &= \frac{1}{2} \left[ 0 \times (-893.8) - (0 \times 0) + (0 \times (-728.8)) - (634.8 \times (-893.8)) \right. \\
 &\quad \left. + (634.8 \times 699.3) - (1068.4 \times (-728.8)) + (1068.4 \times 0) \right. \\
 &\quad \left. - (699.3 \times 0) \right] \\
 &= \underline{\underline{894974.9 \text{ m}^2}}
 \end{aligned}$$

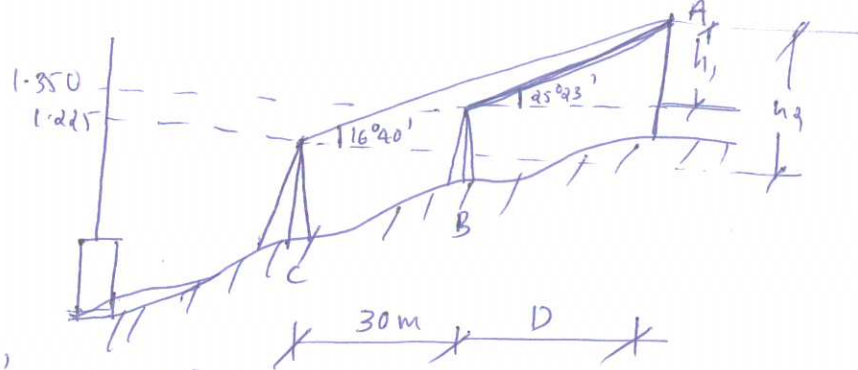
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## VI b) Back bearing method



- 1) Set the instrument at P & measure the magnetic bearing of PQ.
- 2) Shift the instrument & set at Q. Before taking back sight on P, set vernier A to read back bearing of PQ & fix the upper clamp.
- 3) Using lower clamp & tangent screws, take a back sight on P. The instrument is now oriented since the line of sight is along QP & the instrument is reading the bearing of QP.
- 4) Loosen the upper clamp & rotate the instrument clockwise to take a foresight on R, the reading on vernier A gives directly the bearing on PR.
- 5) The process is repeated at other stations.

VII a)



$$\alpha_1 = 25^\circ 23', \quad \alpha_2 = 16^\circ 40'$$

$$\begin{aligned} \text{RL of instr. axis at B} &= \text{RL of BM} + \text{staff reading} \\ &= 152.26 + 1.350 = 153.61 \end{aligned}$$

$$\begin{aligned} \text{RL of instr. axis at C} &= \text{RL of BM} + \text{staff reading} \\ &= 152.26 + 1.225 = 153.485 \end{aligned}$$

$$S = 1.35 - 1.225 = 0.125 \text{ m}$$

$$\begin{aligned} D &= \frac{S - b \tan \alpha_2}{\tan \alpha_2 - \tan \alpha_1} \\ &= \frac{0.125 - 30(\tan 16^\circ 40')}{\tan 16^\circ 40' - \tan 25^\circ 23'} \\ &= \underline{\underline{50.6 \text{ m}}} \end{aligned}$$

$$h_1 = D \tan \alpha_1 = 50.6 \times \tan 16^\circ 40' = \underline{\underline{24 \text{ m}}}$$

$$\begin{aligned} \text{RL of A} &= \text{RL of instr. axis at B} + h_1 \\ &= 153.61 + 24 = \underline{\underline{177.61 \text{ m}}} \end{aligned}$$

check

$$b + D = 30 + 50.6 = 80.6$$

$$h_2 = 80.6 \tan 16^\circ 40' = 24.13$$

$$\begin{aligned} \text{RL of A} &= \text{RL of instr. axis at C} + h_2 \\ &= 153.485 + 24.13 \\ &= \underline{\underline{177.61 \text{ m}}} \end{aligned}$$

Hence ok.

(8)

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Vii a. Anallactic lens is an additional convex lens placed between the diaphragm & objective at a fixed distance from the latter. 2

By providing anallactic lens, the vertex is formed at vertical axis & its position is always fixed irrespective of the staff position. 2

Advantages

- \* The additive constant vanishes & the computations are made quicker.
- \* The loss of light may be compensated by the use of slightly larger object glass. 3

Disadvantages

- \* It absorbs much of the incident light.
- \* It cannot be easily cleaned.

Viii b.  $K = 100, C = 0.15$ .

The staff is held vertical & line of sight is inclined.

$$D = Ks \cos^2 \theta + c \cos \theta$$

$$V = Ks \frac{\sin^2 \theta}{2} + C \sin \theta$$

In 1st observation,  $S = 2.450 - 1.150 = 1.3$

$$\theta = -5^\circ 20'$$

$$V_1 = 100 \times 1.3 \times \frac{\sin^2(2 \times 5^\circ 20')}{2} + 0.15 \sin 5^\circ 20'$$

$$= \underline{\underline{12.045m}}$$

In 2nd observation,

$$S = 2.250 - 0.750 = 1.5, \theta = +8^\circ 12'$$

$$V_2 = 100 \times 1.5 \times \frac{\sin^2(2 \times 8^\circ 12')}{2} + 0.15 \sin 8^\circ 12' = \underline{\underline{21.19m}}$$

$$D = 100 \times 1.5 \times \cos^2(8^\circ 12') + 0.15 \cos 8^\circ 12' = \underline{\underline{147.097m}}$$

RL of instr. axis = RL of BM +  $h_1 + V_1 = 750.50 + 1.8 + 12.045$

$$= 764.345m$$

RL of 10 = RL of instr. axis +  $V_2 - h_2$

$$= 764.345 + 21.19 - 1.5 = \underline{\underline{784.035m}}$$

7

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1x-a) Reflection angle,  $\Delta = 180^\circ - 120^\circ = 60^\circ$

i) Tangent distance =  $R \tan \frac{\Delta}{2} = 600 \times \tan \frac{60}{2}$

= 346.41m

ii) chainage of PC

= chainage of PI - Tangent length.

=  $2500 - 346.41 = \underline{2153.59m}$

iii) chainage of PT

= chainage of PC + length of curve

=  $2153.59 + \frac{\pi R \Delta}{180}$

=  $2153.59 + \left( \frac{\pi \times 600 \times 60}{180} \right)$

= 2781.91m.

iv) Length of longchord

=  $2R \sin \frac{\Delta}{2}$

=  $2 \times 600 \times \sin \left( \frac{60}{2} \right) = \underline{600m}$

1x b.

- 1) To measure the area with single station.
- 2) To correct the defects due to curvature & refraction.
- 3) To find the heights in trigonometric levelling.
- 4) To find the vertical heights directly.
- 5) To adjust the measurements from the pressure of climate & temperature changes.
- 6) To measure the slope distances.
- 7) To change inclined lengths to horizontal lengths.
- 8) To give average angles & measurements electronically.

Any 7  
7x1=7

7

15

8

Qa. Remote sensing - The science & art of acquiring information about a material object by making measurements at a distance from it, without coming into a physical contact, with the help of electro magnetic energy.

2

6

Any 4  
4x1=4

Applications in civil Engg.

- 1) Detection of water pollution
- 2) Detection of geology & mineral resources.
- 3) For mapping of land resources.
- 4) Monitoring of environmental hazards.

Qb)

Length of radius =  $15 \times 20 = 300m$ .

Deflection angle,  $\Delta = 180^\circ - 127^\circ 30' = 52^\circ 30'$

Length of the tangent =  $R \tan \frac{\Delta}{2} = 300 \times \tan \left( \frac{52^\circ 30'}{2} \right) = \underline{147.94m}$ .

General eqn. for radial offsets from tangent,

$$O_x = \sqrt{R^2 + x^2} - R$$

~~where x is perpendicular distance~~

$$O_{20} = \sqrt{300^2 + 20^2} - 300 = 0.67m.$$

$$O_{40} = \sqrt{300^2 + 40^2} - 300 = 2.66m$$

$$O_{60} = \sqrt{300^2 + 60^2} - 300 = 5.94m.$$

$$O_{80} = \sqrt{300^2 + 80^2} - 300 = 16.23m.$$

$$O_{100} = \sqrt{300^2 + 100^2} - 300 = 10.48m.$$

$$O_{120} = \sqrt{300^2 + 120^2} - 300 = 23.11m.$$

$$O_{140} = \sqrt{300^2 + 140^2} - 300 = 31.06 m.$$

$$O_{147.94} = \sqrt{300^2 + (147.94)^2} - 300 = 34.49m$$

12

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9