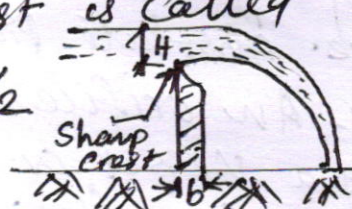
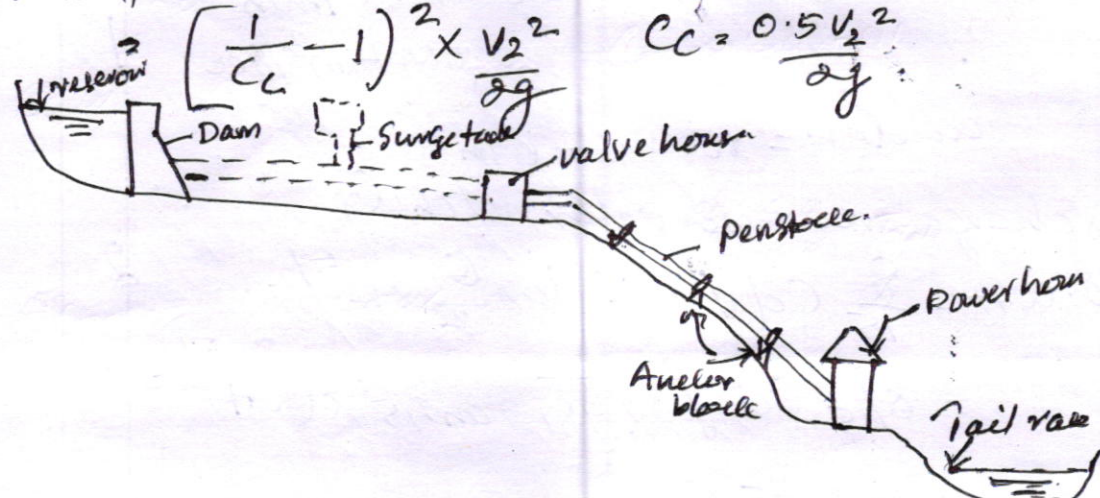
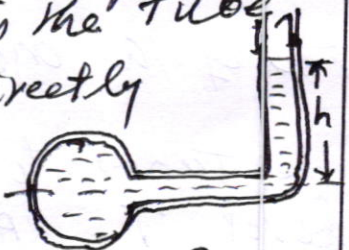
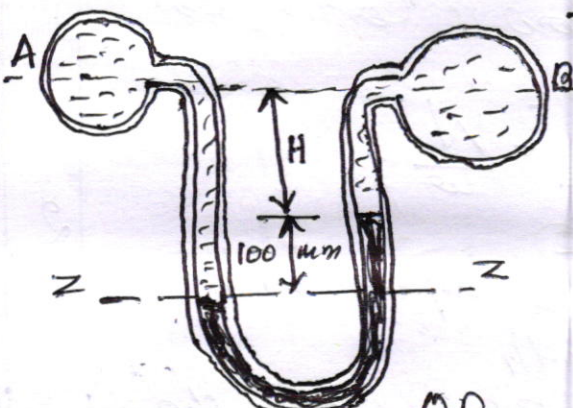


QST No.	Scoring Indicator	Split up Score	Sub Total	Total
	<u>PART-A</u>			
1	Sp. weight of a fluid is the weight of the liquid per unit volume	2	2	
2	When water flows through an orifice the jet of water contracts from the mouth of orifice up to a distance of about $1\frac{1}{2}$ times the diameter of the orifice. This section of the jet beyond which no further contraction takes place and the stream lines first become parallel is known as Vena Contracta	2	2	
3	A weir having a sharp crest is called sharp crested weir $b < H/2$	1	1	
				
	A weir having a broad crest is called broad crested weir. If the crest width (B) is greater than $\frac{1}{2}$ the height of water above the crest ($0.5H$) it is called broad crested weir	1	1	
4	Water, while flowing in a pipe, possesses some momentum on account of its motion. If the flowing water is suddenly brought to rest by closing the valve its momentum is destroyed which causes a very high pressure on the valve and walls on pipes is called water hammer	2	2	
5	In order to overcome water hammer problems, a storage reservoir is fitted at some opening made on the pipeline (or penstock) for control the pressure variations, and to regulate the flow of water retarding head of water	2	2	10
6	<u>Uniform flow</u> :- A flow in which the velocities of liquid particles at all sections of a pipe or a channel are equal	1	1	
	<u>Non uniform Channel</u> :- A flow in which the velocities of liquid particles at all sections of a pipe or channel are not equal.	1	2	10

Qn. NO	Scoring Indicator	Sp. Qn. Score	Sub Total	Total
	PART-B			
1	<p><u>Atmospheric Pressure</u>:— The air atmospheric air exerts normal pressure upon all surfaces which is in contact and it is known as atmospheric pressure.</p> <p><u>Gauge Pressure</u>:— when the pressure is measured either above or below atmospheric pressure it is called gauge pressure. pressure is measured by instruments called gauges.</p> <p><u>Absolute Pressure</u>:— It is the algebraic sum of the gauge pressure and atmospheric pressure. $\text{Absolute Pressure} = \text{gauge pr.} + \text{atmospheric pr.}$</p>	2	2	
2	<p><u>orifice</u>:— An orifice is an opening in the side of a vessel or a tank through which the liquid will flow out, in such a way that the liquid surface is always above the top edge of the opening. The opening may be in the side or in the bottom of the vessel. It is used to measure the rate of flow of the liquid.</p> <p><u>Types of orifices</u></p> <ol style="list-style-type: none"> 1. According to size — Small orifice, Large orifice 2. According to shape — Circular, Rectangular, Triangular 3. According to shape of edge — Sharp edged, Square edged, Bell mouthed. 4. According to nature of the discharge — Fully submerged, Partially submerged 	2	2	6
3	<p><u>Minor losses</u></p> <ol style="list-style-type: none"> 1. Loss of head at entrance in a pipe = $\frac{0.5V^2}{2g}$ where V is the velocity of the liquid in the pipe 2. Loss of head at exit of a pipe = $\frac{V^2}{2g}$ 3. Loss of head due to sudden enlargement = $\frac{(V_1 - V_2)^2}{2g}$ where V_1 = Velocity of section smaller section V_2 = Velocity of section larger section 	1 1/2	1 1/2	1 1/2

Qn NO	Scoring Indicator	Qn Score	Sub Total	Total
4.	<p>Loss of head due to Sudden Contraction:-</p> $\left(\frac{1}{C_c} - 1\right)^2 \times \frac{V_2^2}{2g} \quad C_c = \frac{0.5 V_2^2}{2g}$  <p>Sketch Components</p>	1 1/2	6	
5.	<p>Given: $d = 1\text{m}$, $\bar{x} = 2\text{m}$, S.P. gravity of sea water = 1.03 S.P. weight of sea water $\omega = 9.81 \times 1.03 = 10.1 \text{ kN/m}^3$ Area of the circular door $A = \frac{\pi}{4} d^2 = \frac{\pi}{4} (1)^2 = 0.7854 \text{ m}^2$ Total pressure on the door $P = \omega A \bar{x} = 10.1 \times 0.7854 = 15.9 \text{ kN}$</p>	1 1 2	6	
6.	<p>Given: diameter of the tank $D = 4\text{m}$ $H_1 = 5\text{m}$, diameter of the orifice $d = 400\text{mm} = 0.4\text{m}$ $H_2 = 2\text{m}$ and $C_d = 0.6$ Area of circular tank $\frac{\pi}{4} (D^2) = \frac{\pi}{4} \times 4^2 = 12.57 \text{ m}^2$ Area of the orifice $a = \frac{\pi}{4} \times d^2 = \frac{\pi}{4} \times 0.4^2 = 0.1257 \text{ m}^2$ \therefore Time taken to fall the water level $T = \frac{2A(\sqrt{H_1} - \sqrt{H_2})}{C_d \cdot a \cdot \sqrt{2g}}$ $= \frac{2 \times 12.57 \times \sqrt{5} - \sqrt{2}}{0.6 \times 0.1257 \times \sqrt{2 \times 9.81}} = 61.9 \text{ seconds}$</p>	1 1 1 1	6	

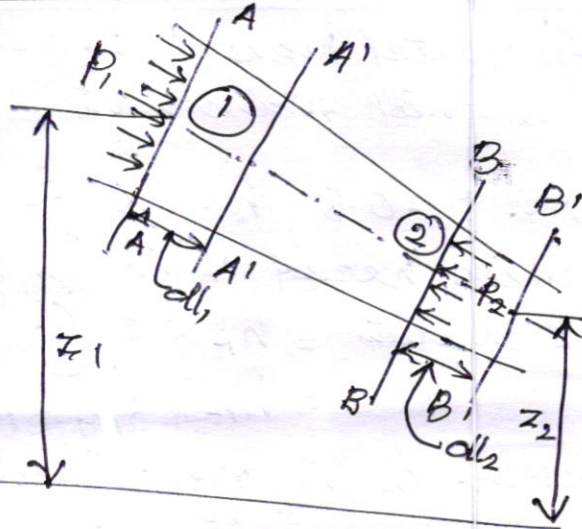
Q.No	Scoring Indicators	Sp. Score	Sub Total	Total
7	<p>Given $Q = 280 \text{ litres/min} = 0.28 \text{ m}^3/\text{min}$ $= 0.0047 \text{ m}^3/\text{sec}$</p> <p>and $H = 100 \text{ mm} = 0.1 \text{ m}$</p> <p>discharge over triangular notch Q</p> $0.0047 = \frac{8}{15} C_d \sqrt{2g} \tan \frac{\theta}{2} \times H^{5/2}$ $= \frac{8}{15} C_d \sqrt{2 \times 981} \tan 45^\circ \times (0.1)^{5/2}$ $= 0.0075 C_d$ $C_d = 0.007 / 0.0075 = \underline{\underline{0.627}}$	1	2	2
	<p><u>PART-C</u> <u>Module-I</u></p>			
III	<p>(i) <u>Piezometer tube</u> :- A Piezometer tube is the simplest form of instrument, used for measuring moderate pressures. It consists of a tube, one end of which is connected to the pipeline in which the pressure is required to be found out. The other end is open to the atmosphere, in which the liquid can rise freely without overflow. The height to which the liquid rises up in the tube gives the pressure head directly.</p>			
	<p>(ii) <u>Manometer</u></p> <p>Manometer is an improved form of a piezometer tube. used for measuring high pressures and negative pressures also</p> <p>Types :- Simple Manometer, Micro manometer,</p>		3	6

Qn No	Scoring Indicators	Split Score	Sub Total	Total
<p>III b</p>	<p>Differential manometer, and inverted differential manometer</p> <p>Given $S_1 = 0.8$ $h = 100$ $S_2 = 13.6$</p> <p>Pressure head in the left limb above z-z datum = $h_A + S_1 (H + 100)$ mm of water</p> $= h_A + S_1 H + 100 S_1 \text{ mm of water} \quad \text{--- (1)}$ <p>Pressure in the right limb above z-z</p> $= h_B + S_1 H + S_2 \times 100 \text{ mm of water} \quad \text{--- (2)}$ <p>Equating (1) and (2)</p> $h_A + S_1 H + 100 S_1 = h_B + S_1 H + 100 S_2$ $h_A - h_B = 100 S_2 - 100 S_1 = 100 (S_2 - S_1) = 100 (13.6 - 0.8)$ $= \underline{\underline{1.28 \text{ m of water}}}$  <p style="text-align: right;">fig. 2</p>	3	6	
<p>IV (a)</p>	<p><u>Assumptions and Limitations of Bernoulli's Theorem</u></p> <ol style="list-style-type: none"> 1. The fluid is ideal and incompressible 2. The flow is steady and continuous 3. The flow is along a streamline i.e. it is one dimensional 4. The velocity is uniform over the section and is equal to mean velocity 5. No external force except the gravitational force is acting on the liquid <p style="text-align: right;">any 4 x 1 1/2 = 6</p>	2	9	15

Qn No Scoring Indicators

IV Proof

(b) Consider a perfect incompressible fluid, flowing through a non-uniform pipe.



Let $z_1 =$ Height of AA above datum

$p_1 =$ Pressure at AA

$v_1 =$ Velocity of liquid at AA

$a_1 =$ Cross Sectional area of the pipe at AA and

$z_2, p_2, v_2, a_2 =$ Corresponding values of BB

Let W be the weight of the liquid between AA and A'A' since the flow is continuous.

$$W = \omega a_1 dl_1 = \omega a_2 dl_2$$

$$a_1 dl_1 = \frac{W}{\omega} \quad \text{--- (1) } \quad \text{By } a_2 dl_2 = \frac{W}{\omega}$$

$$\therefore a_1 dl_1 = a_2 dl_2 \quad \text{--- (2)}$$

Pressure at AA, in moving the liquid to A'A' = Force \times Distance = $p_1 a_1 dl_1$

the work done by pressure at BB, in moving the liquid to B'B' = $-p_2 a_2 dl_2$

\therefore Total work done by the pressure.

$$= p_1 a_1 dl_1 - p_2 a_2 dl_2$$

$$= p_1 a_1 dl_1 - p_2 a_1 dl_1$$

$$= a_1 dl_1 (p_1 - p_2) = \frac{W}{\omega} (p_1 - p_2)$$

Loss of potential energy = $W (z_1 - z_2)$

and again in kinetic energy

$$= W \left(\frac{v_2^2}{2g} - \frac{v_1^2}{2g} \right) = \frac{W}{2g} (v_2^2 - v_1^2)$$

loss of potential energy + work done by pressure

= Gain in kinetic energy

3

2

2

2

Qn No.	Scoring Indicators	Split Exp Score	Sub Total	Total
	$\therefore W(z_1 - z_2) + \frac{W}{\omega} (P_1 - P_2) = \frac{W}{2g} (V_2^2 - V_1^2)$ $(z_1 - z_2) + \frac{P_1}{\omega} - \frac{P_2}{\omega} = \frac{V_2^2}{2g} - \frac{V_1^2}{2g}$ $\text{or } z_1 + \frac{V_1^2}{2g} + \frac{P_1}{\omega} = z_2 + \frac{V_2^2}{2g} + \frac{P_2}{\omega}$ <p>\therefore Potential energy + Pressure energy + Kinetic energy = Constant</p>		9	15
V _a	<p align="center"><u>Module II</u></p> <p>Co efficient of Contraction $C_c = \frac{\text{Area of jet at vena contracta}}{\text{Area of orifice}}$</p> <p>Co efficient of Velocity $C_v = \frac{\text{Actual velocity of the jet at vena contracta}}{\text{theoretical velocity of the jet}}$</p> <p>Co efficient of discharge $C_d = \frac{\text{Actual Velocity}}{\text{theoretical discharge}}$</p>		2	6
V _b	<p>Given $d = 60 \text{ mm} = 0.06 \text{ m}$, $H = 9 \text{ m}$, $C_d = 0.625$, and $C_v = 0.98$</p> <p>area of the orifice $a = \frac{\pi}{4} (d)^2 = \frac{\pi}{4} \times (0.06)^2 = 2.83 \times 10^{-3} \text{ m}^2$</p> <p>theoretical discharge through the orifice</p> $Q_{th} = a \sqrt{2gh} = 2.83 \times 10^{-3} \times \sqrt{2 \times 9.81 \times 9} = 37.6 \times 10^{-3} \text{ m}^3/\text{sec}$ <p>Actual discharge through the orifice</p> $Q_{ac} = C_d \cdot Q_{th} = 0.625 \times (37.6 \times 10^{-3}) \text{ m}^3/\text{Sec} = 23.5 \times 10^{-3} \text{ m}^3/\text{s} = 23.5 \text{ litres/Sec.}$ <p>theoretical velocity of the jet at vena contracta</p> $V_{th} = \sqrt{2gh} = \sqrt{2 \times 9.81 \times 9} = 13.3 \text{ m/sec}$ <p>Actual velocity of the jet at vena contracta</p> $V_{ac} = C_v \cdot V_{th} = 0.98 \times 13.3 = 13 \text{ m/sec}$	1	2	2
			9	15

Qn No	Scoring Indicators	Spent up score	Sub Total	Total
VI	Types of mouth pieces. ^{OR}			
a	1. According to the Position of the mouth piece.			
	(a) Internal mouth piece (b) External mouth piece	2		
	2. According to the Shape of the mouth piece.			
	(a) Cylindrical mouth piece (b) Convergent mouth piece	2		
	(c) Convergent-divergent mouth piece.			
	3. According to the nature of discharge			
	(a) Mouthpiece running full (b) Mouth piece running free	2	6	
VI b	Given $d_1 = 100\text{mm} = 0.1\text{m}$, $d_2 = 200\text{mm} = 0.2\text{m}$,			
	and $Q = 60\text{ litres/sec} = 0.06\text{ m}^3/\text{sec}$.	2		
	Area of pipe section I $a_1 = \frac{\pi}{4} \times (d_1)^2 = \frac{\pi}{4} \times (0.1)^2$ $= 0.00785\text{ m}^2$			
	By section II $a_2 = \frac{\pi}{4} \times (d_2)^2 = \frac{\pi}{4} \times (0.2)^2$ $= 0.03142\text{ m}^2$	2		
	∴ The velocity of water at			
	Section I $V_1 = \frac{Q}{a_1} = \frac{0.06}{0.00785} = 7.64\text{ m/sec}$			
	By section II $V_2 = \frac{Q}{a_2} = \frac{0.06}{0.03142} = 1.91\text{ m/sec}$	2		
	Loss of head due to sudden			
	enlargement $h_e = \frac{(V_1 - V_2)^2}{2g} = \frac{(7.64 - 1.91)^2}{2 \times 9.81}$ $= 1.67\text{m}$	3	9	15
VII	Module III			
a	Some times, a weir is provided in a stream or a river to measure the flow of water. In such a case, the water approaching the weir, has got			

Qn NO	Scoring Indicators	Sp. Flow	Sub Total	Total
	Some velocity, known as velocity of approach Let $A =$ Cross-sectional area of the channel on the upstream side of the weir	3		
	$Q =$ Discharge over the weir \therefore Velocity of approach $V = \frac{Q}{A}$	3	6	
VII b	Given $L = 60\text{m}$, $H = 0.6\text{m}$, $C_d = 0.595$ and $A = 45\text{m}^2$ Maximum discharge over the weir without considering the velocity of approach $Q_{\text{max}} = 1.71 C_d \cdot L \times H^{3/2} = 1.71 \times 0.595 \times 60 \times 0.6^{3/2}$ $= 28.4\text{m}^3/\text{sec}$	1		
	Maximum discharge over the weir considering the velocity of approach $V = \frac{Q}{A} = \frac{28.4}{45} = 0.63\text{m}/\text{sec}$	1		
	The head due to velocity of approach $H_a = \frac{V^2}{2g} = \frac{(0.63)^2}{2 \times 9.81} = 0.02\text{m}$ total head $H_1 = H + H_a = 0.6 + 0.02 = 0.62\text{m}$	2		
	Max. discharge over the weir $Q = 1.71 C_d \cdot L \left(H_1^{3/2} - H_a^{3/2} \right)$ $= 1.71 \times 0.595 \times 60 (0.62)^{3/2} - (0.02)^{3/2}$ $= 29.6\text{m}^3/\text{sec}$	3	9	15

Qn No	Scoring Indicators	Split up Score	Sub Total	Total
VIII a	<p>Given - OR Length of the weir = 30m, effective length $L = (30 - 9 \times 0.6) = 24.6m$ No. of end Contractions $n = 2 \times 10 = 20$ Head of water $H = 1m$ Using Francis formula $Q = 1.84 (L - 0.1nH) \times H^{3/2}$ $= 1.84 (24.6 - 0.1 \times 20 \times 1) \times 1^{3/2}$ $= 41.6 \text{ m}^3/\text{sec}$</p>	2	2	6
VIII b	<p>Given Length of the weir = 20m. $H = 0.7m$ Crest height = 0.6m Total depth of water in the Channel = 1.3m Cross sectional area of flow in the Channel $A = 40 \times 1.3 = 52m^2$ Neglecting velocity of approach. $Q_{max} = 1.705 C_d L H^{3/2}$ $= 1.705 \times 0.95 \times 20 \times (0.7)^{3/2} = 18.92 \text{ m}^3/\text{sec}$ Velocity of approach $V_a = \frac{Q_{max}}{A} = \frac{18.92}{52} = 0.36 \text{ m/sec}$ Head due to velocity of approach $h_a = \frac{V_a^2}{2g} = \frac{0.36^2}{2 \times 9.81} = 0.00675m$ Considering velocity of approach $Q_{max} = 1.705 \times C_d \times L \left[(H + h_a)^{3/2} - (h_a)^{3/2} \right]$ $= 1.705 \times 0.95 \times 20 \left[(0.7 + 0.00675)^{3/2} - (0.00675)^{3/2} \right]$ $= 19.17 \text{ m}^3/\text{sec}$</p>	2	2	15